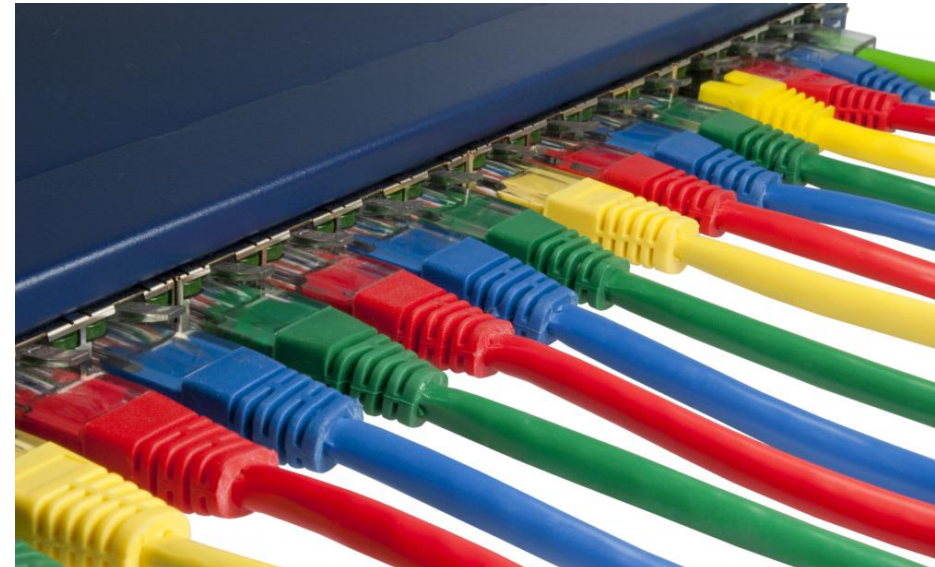
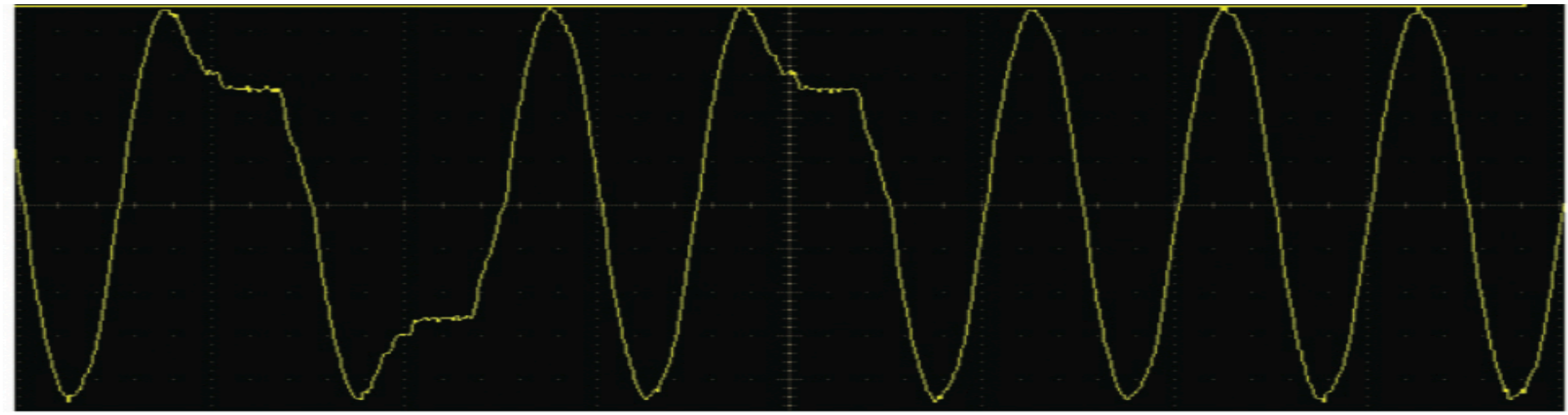
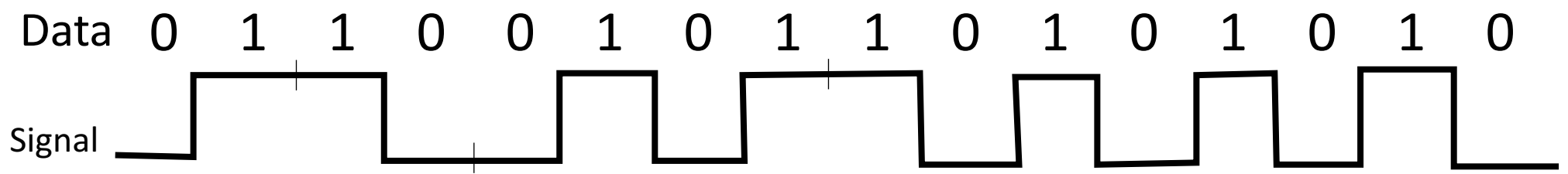
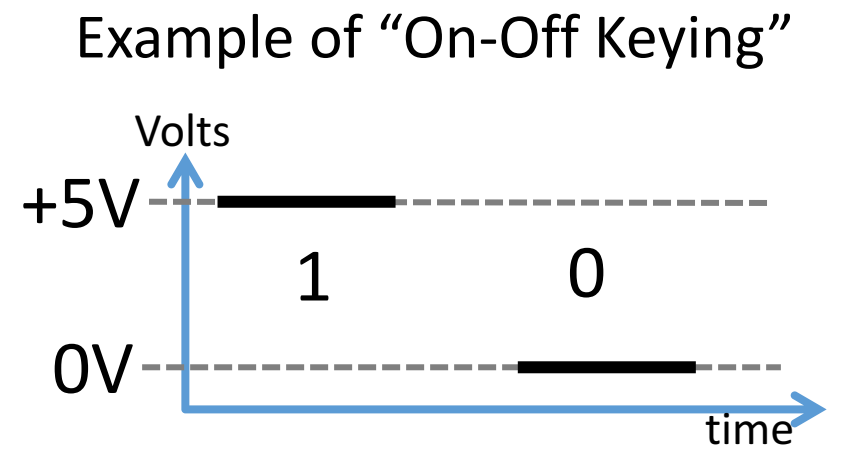
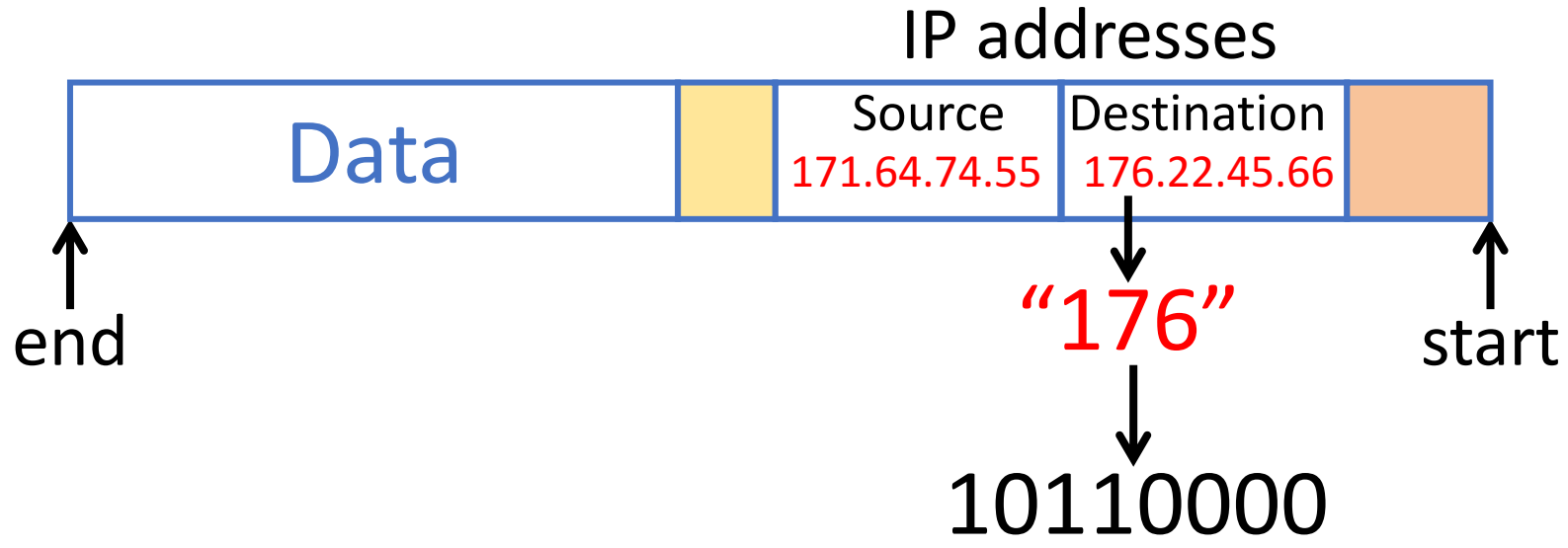


Links, clocks, optics and radios



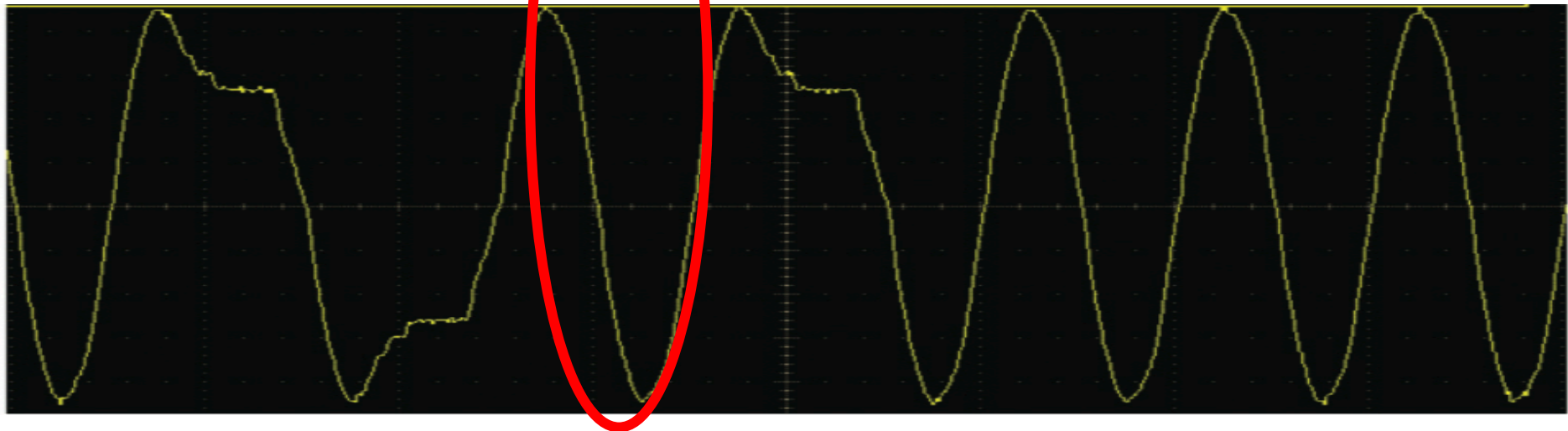
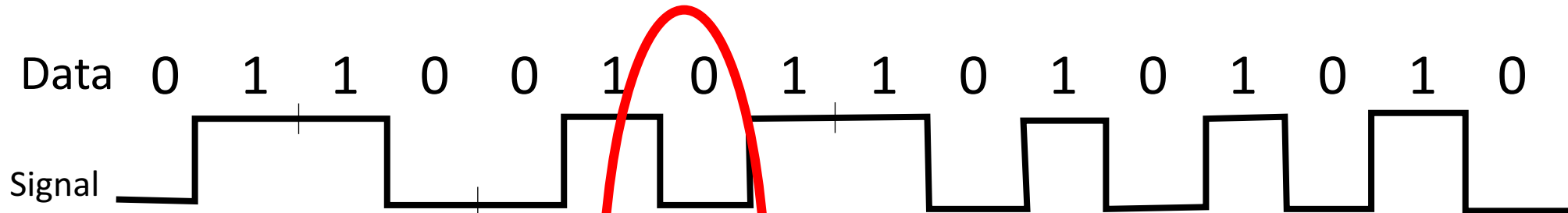




What determines the data rate?

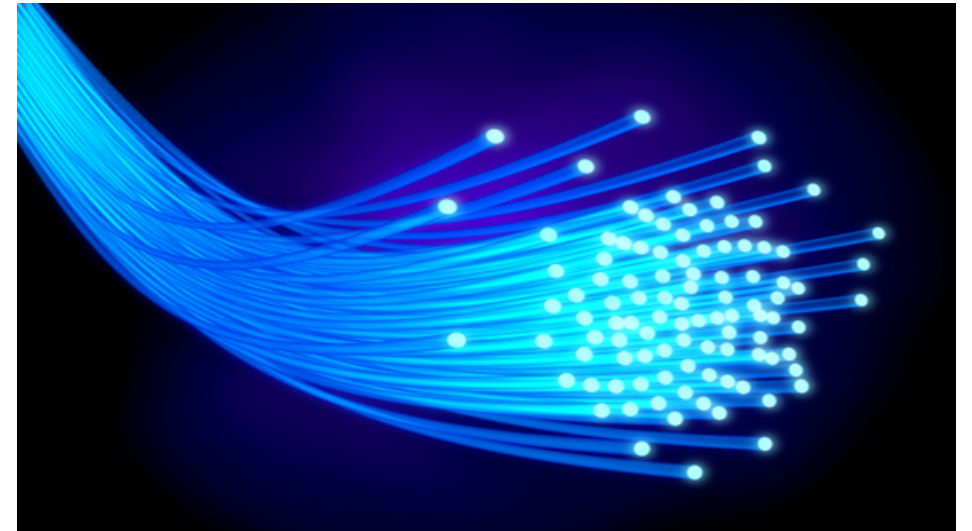
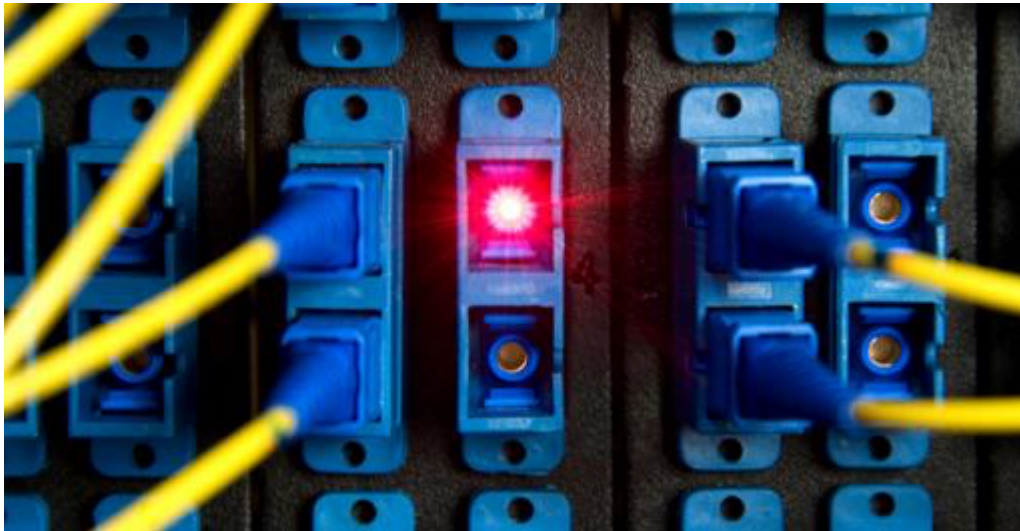
Q: What determines the steepness (i.e. rate) of this change?

Q: How does the rate of change affect the data rate?



Fiber-optic links

Packets are sent by turning a **laser** on and off very fast



Each fiber is smaller than a human hair

Used for very long, very fast communications (e.g. 100 Gb/s and 200km)

What determines the maximum data rate of a cable, fiber, wireless link, etc?

Q: What happens if we put the “bits” closer and closer together?

Q: If we can't put them closer together, how can we increase the number bits of information transmitted per second?

Q: What other factors limit the number of bits per second we can transmit?

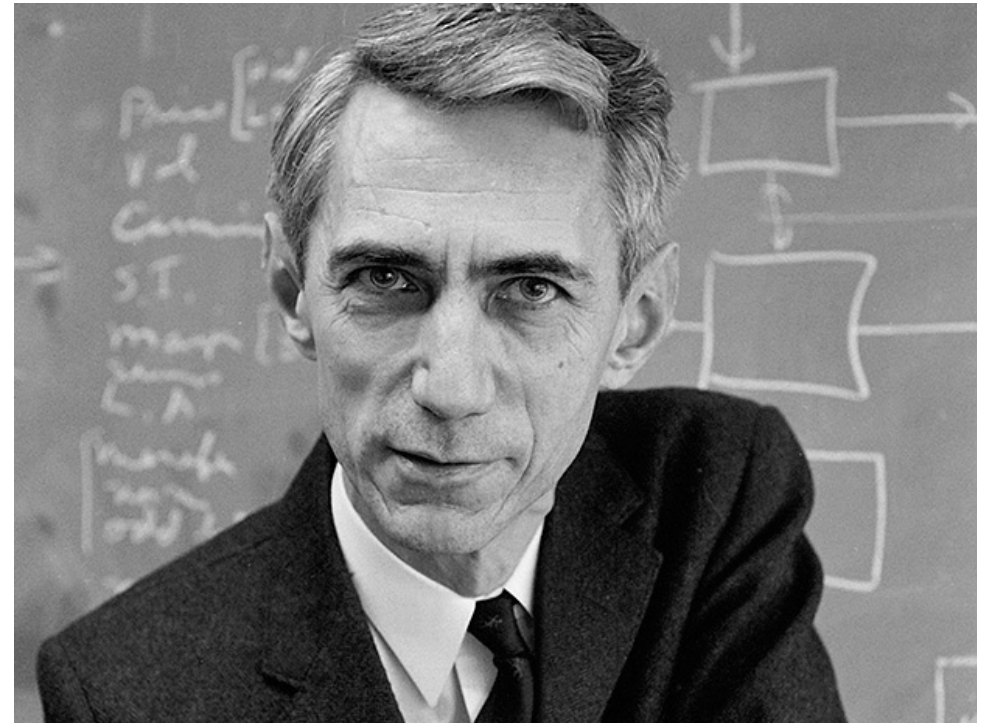
Q: Are there any other factors other than “Bandwidth” and “Noise” that determine the maximum data rate of a channel?

Claude Shannon

1937: MS Thesis proposed used Boolean algebra for digital circuit design.

1948: “A Mathematical Theory of Communication” led to the field of **Information Theory** and **Shannon Capacity**

[\(Juggling Machines!\)](#)



Claude Shannon (1916 – 2001)
Mathematician, Electrical Engineer

Shannon Capacity

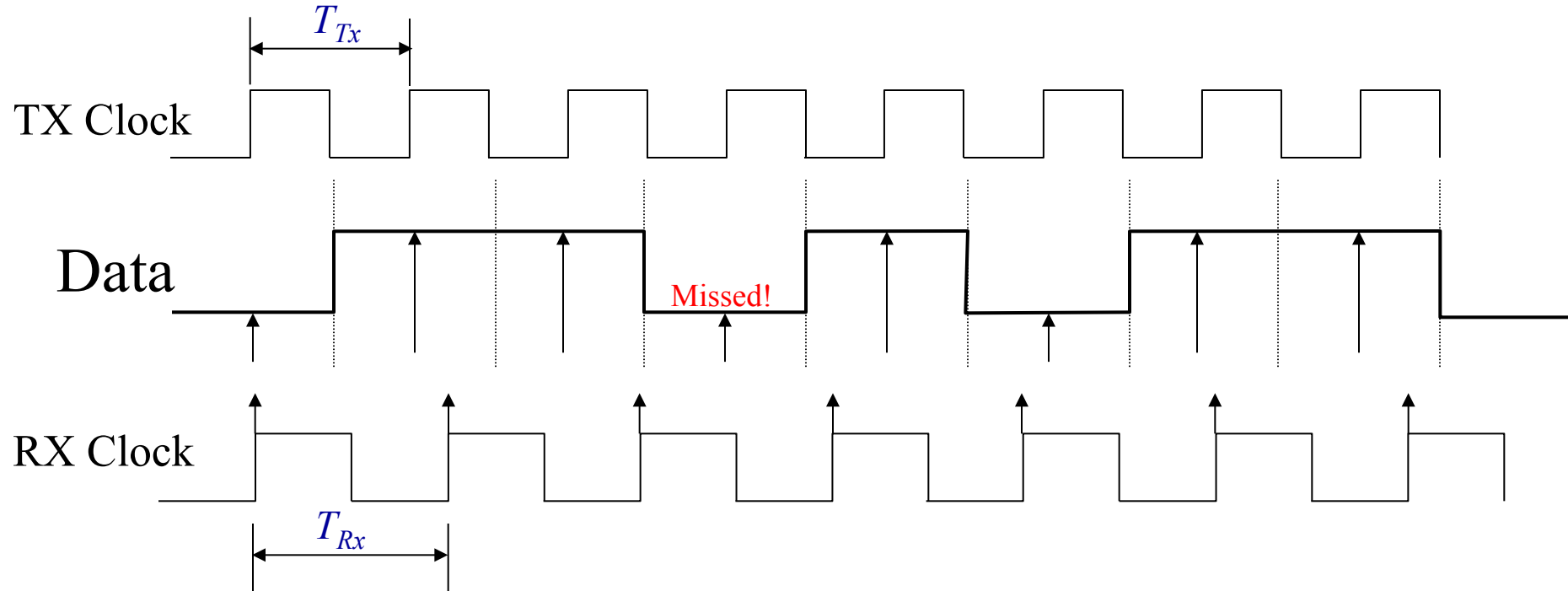
- Shannon capacity represents the maximum error-free rate we can transmit through a channel
- The maximum data rate.
- Under some mild assumptions:

$$\text{Shannon Capacity} = B \log_2 \left(1 + \frac{S}{N} \right)$$

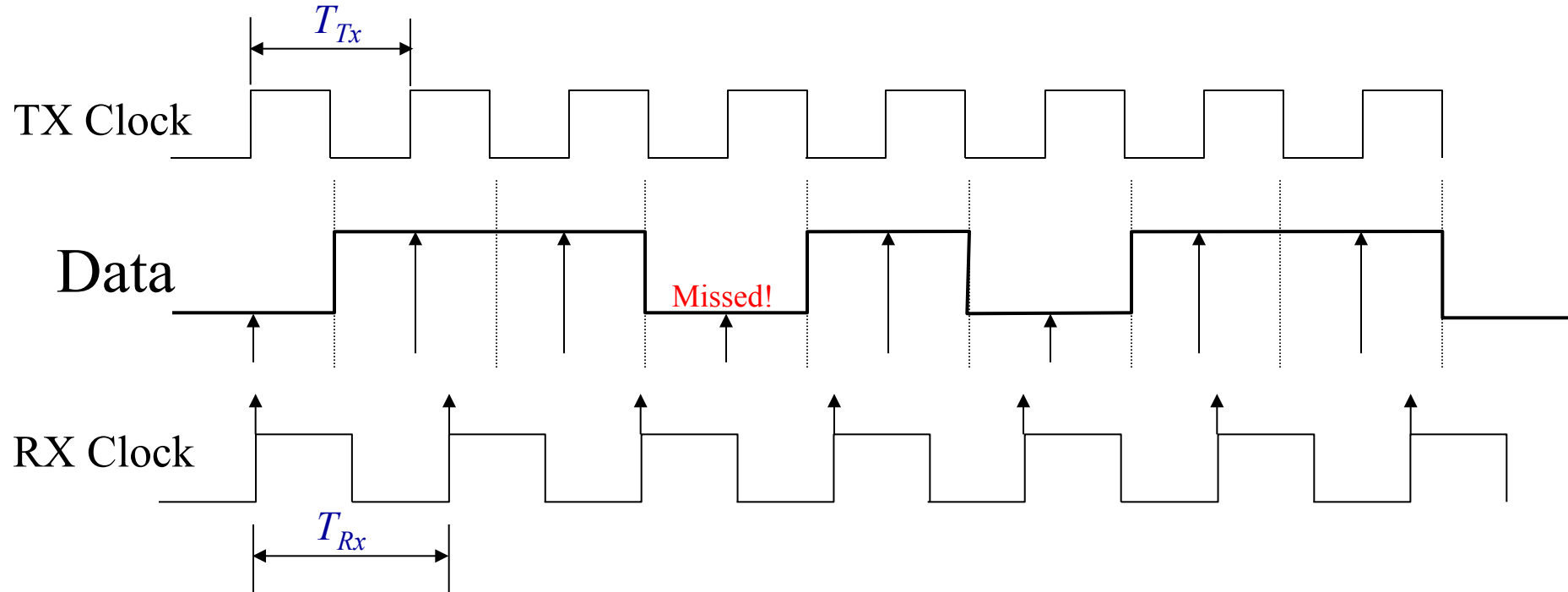
- In other words, it depends only on Bandwidth and Signal-to-Noise ratio!
- EE376A: Information Theory. Wow.

Clocks

If we don't know the sender's clock



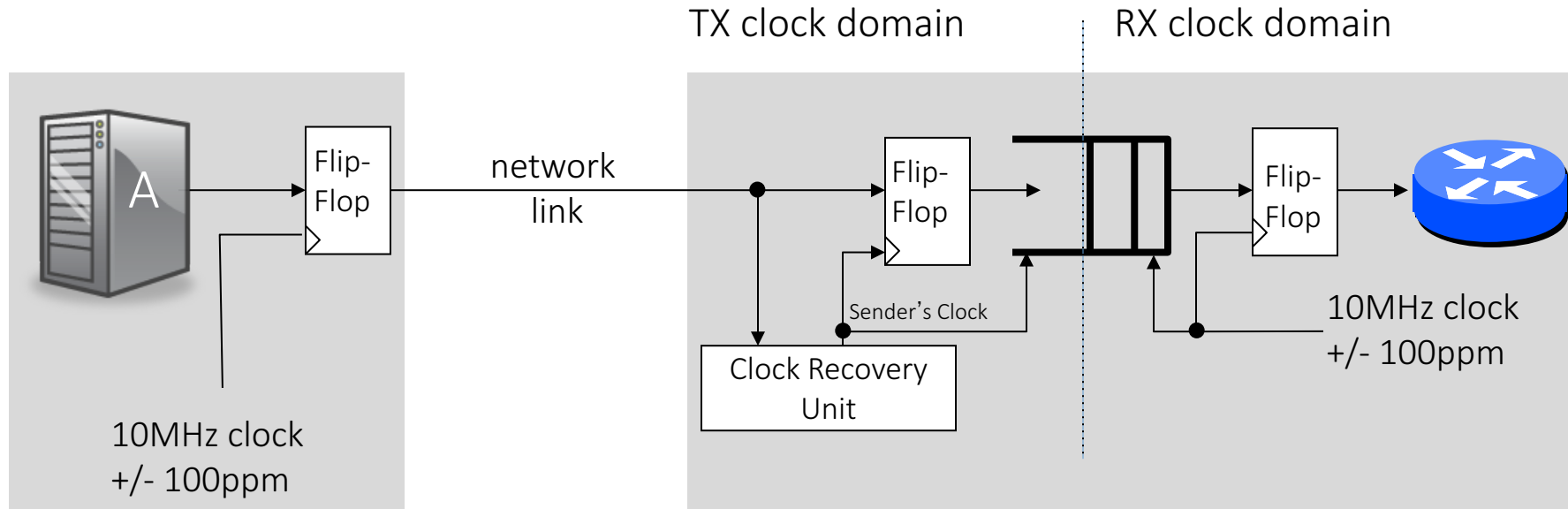
If we don't know the sender's clock



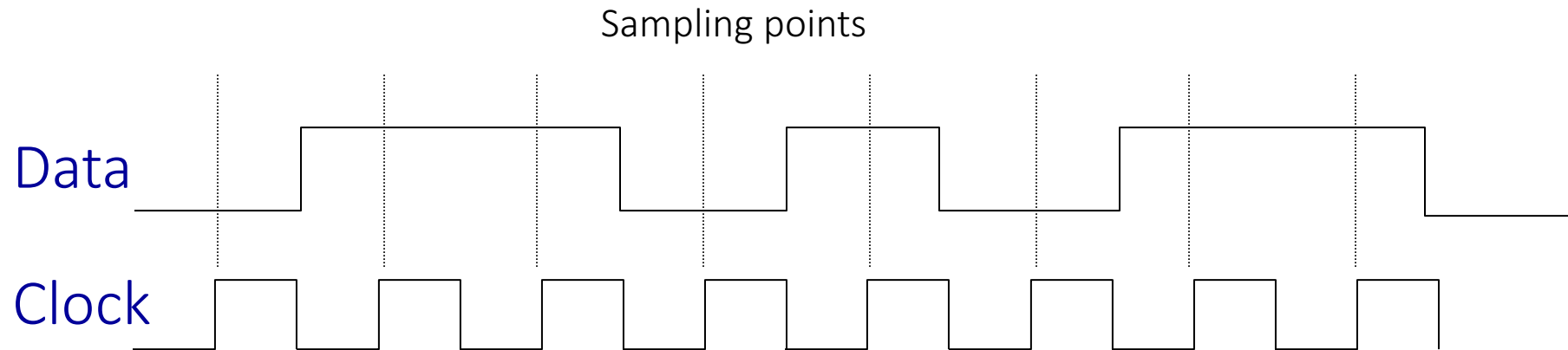
If the RX clock is p ppm slower than the TX clock, then: $T_{Rx} = T_{Tx}(1 + 10^{-6} p)$.

After $\frac{0.5}{10^{-6} p}$ bit times, the RX clock will miss a bit.

Synchronous communication on network links



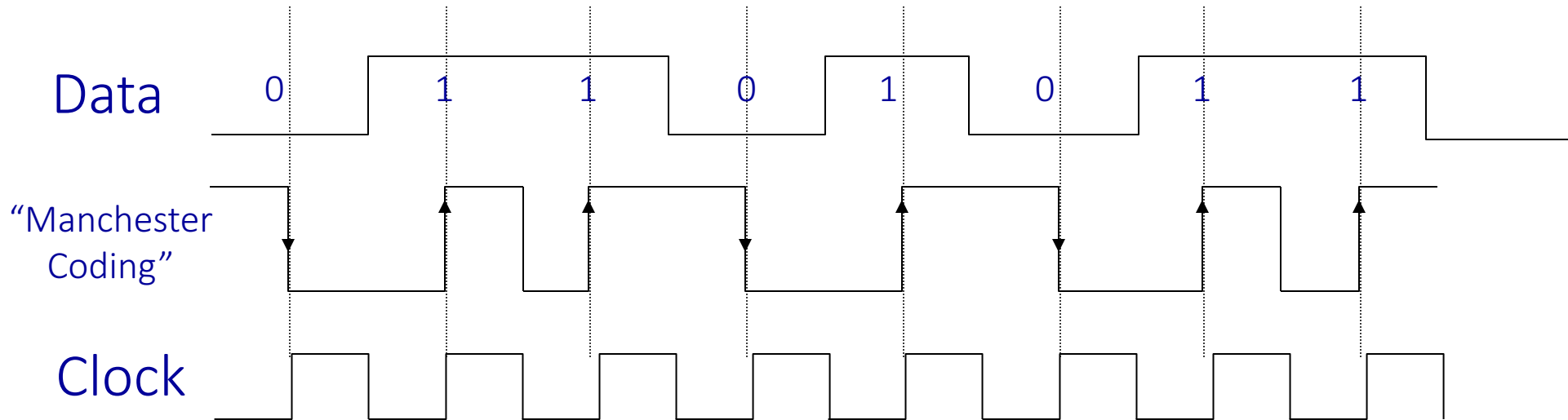
Encoding for clock recovery



If the clock is not sent separately, the data stream must have sufficient **transitions** so that the receiver can determine the clock.

Encoding for clock recovery

Example #1: 10Mb/s Ethernet



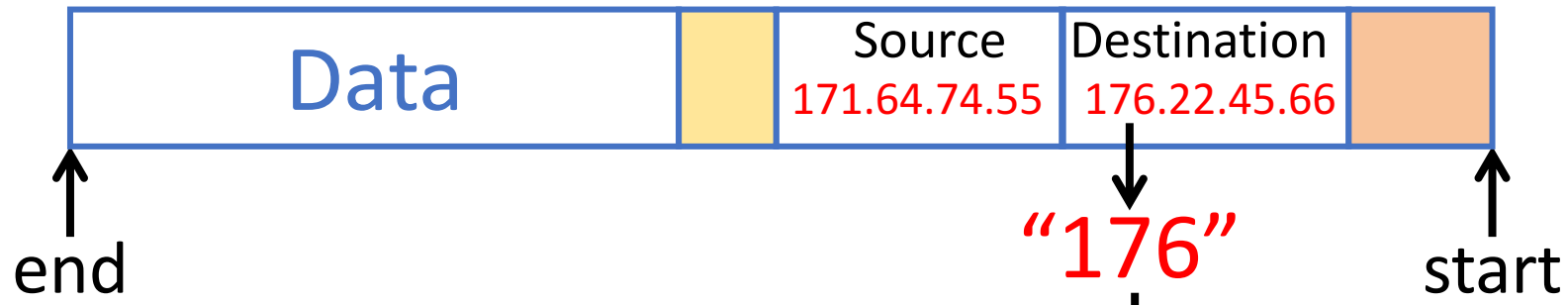
Advantages of Manchester encoding:

- Guarantees one transition per bit period.
- Ensures d.c. balance (i.e. equal numbers of hi and lo).

Disadvantages

- Doubles bandwidth needed in the worst case.

IP addresses

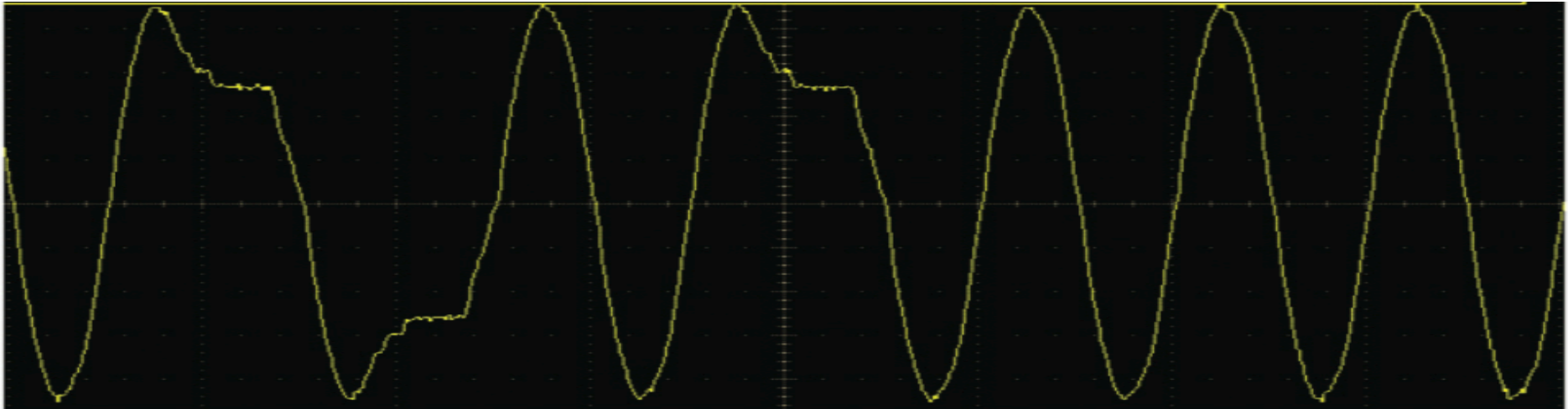


“176”

10110000

Data	1	0	1	1	0	0	0	0	0						
Manchester Encoded Data	0	1	1	0	0	1	0	1	1	0	1	0	1	0	0

Signal



Encoding for clock recovery

Example #2: 4b/5b encoding

4-bit data	5-bit code
0000	11110
0001	01001
0010	10100
...	...

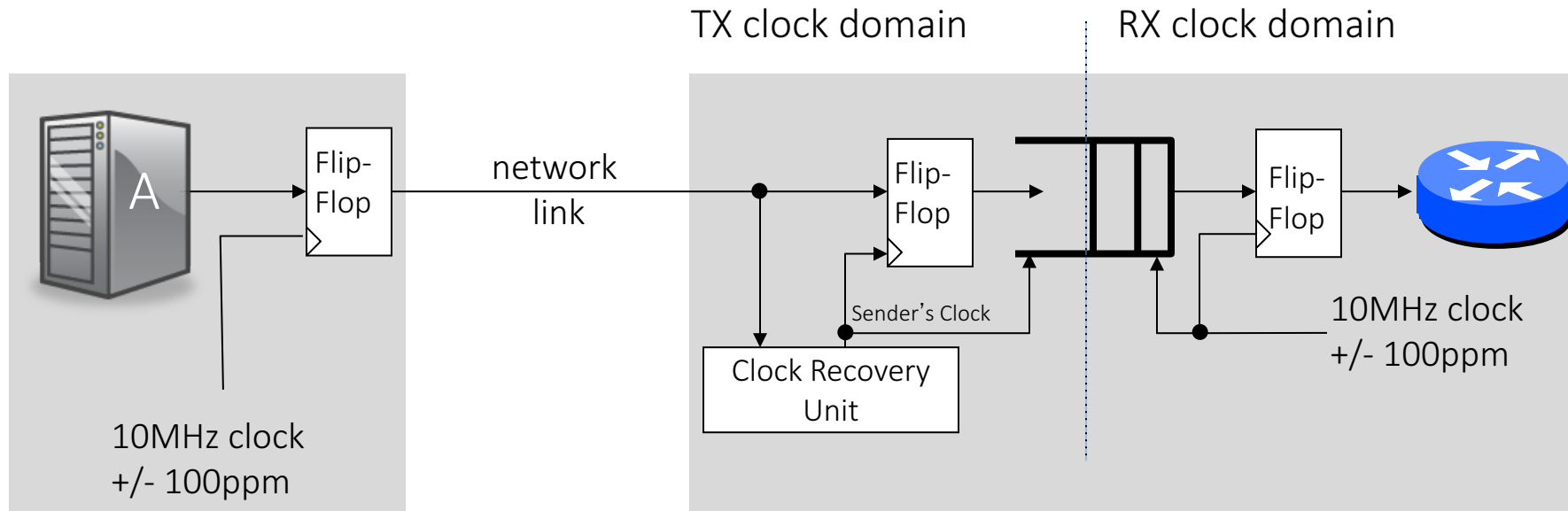
Advantages of 4b/5b encoding:

- More bandwidth efficient (only 25% overhead).
- Allows extra codes to be used for control information.

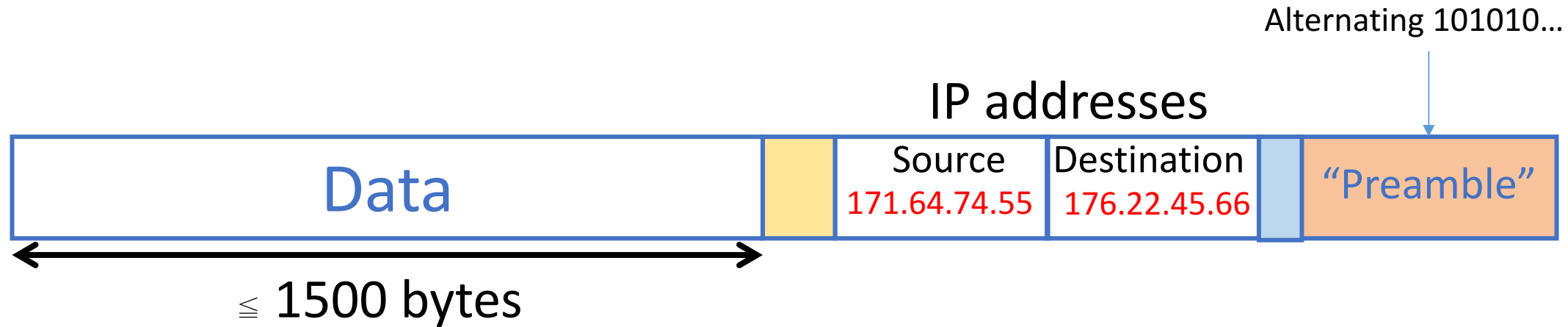
Disadvantages

- Fewer transitions makes clock recovery a little harder.

Summary of clock recovery on network links



How big can a packet be?



Q: How long does it take to send a 1500 byte packet at 1Gb/s?
(1Gb/s = 10^9 bits per second)

At 1Gb/s it takes $(8\text{bits/byte} \times 1500 \text{ bytes}) / 10^9 \text{ bits/second}$
 $= 12\mu\text{s}$ to send a 1500 byte packet.

(The packet is 4km long!)

Ethernet and CSMA/CD

The origins of Ethernet



Sharing a “medium”

- Ethernet is (or at least was originally) an example of multiple hosts sharing a common cable (“medium”).
- To share the medium, we need to decide who gets to send, and when.
- There is a general class of “Medium Access Control Protocols”, or MAC Protocols.

CSMA/CD Protocol



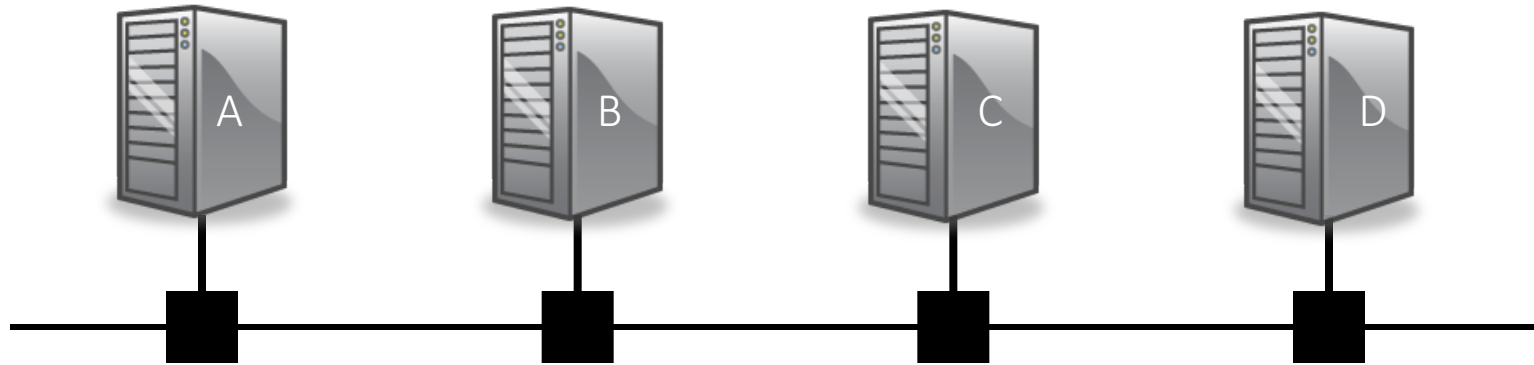
All hosts transmit & receive on one channel
Packets are of variable size.

When a host has a packet to transmit:

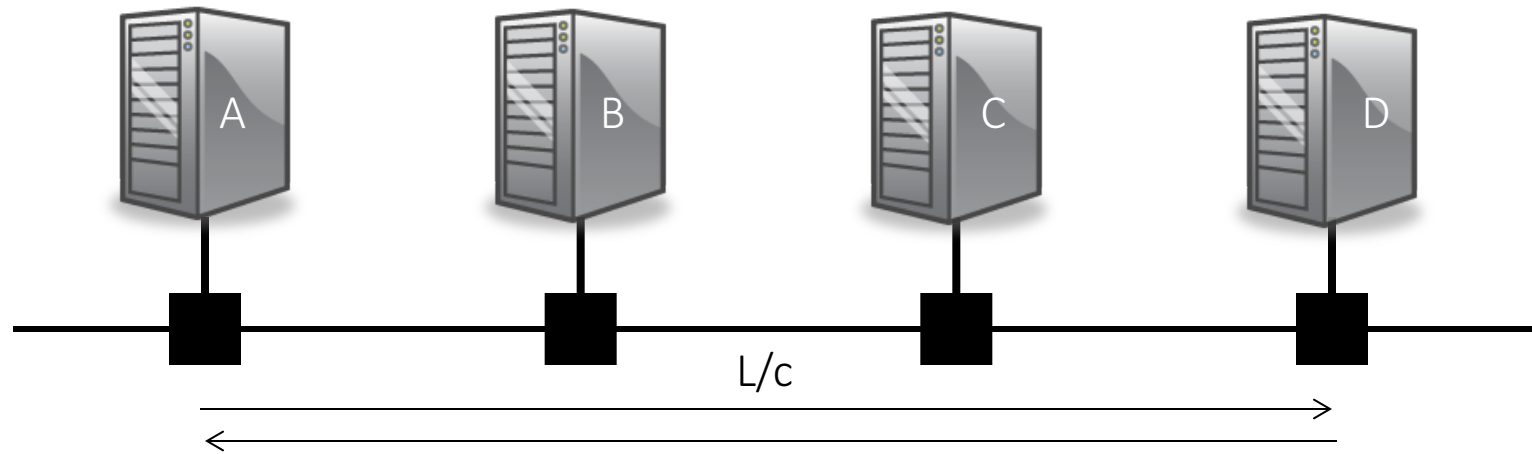
1. **Carrier Sense:** Check the line is quiet before transmitting.
2. **Collision Detection:** Detect collision as soon as possible. If a collision is detected, stop transmitting; wait a random time, then return to step 1.

↑
binary exponential backoff

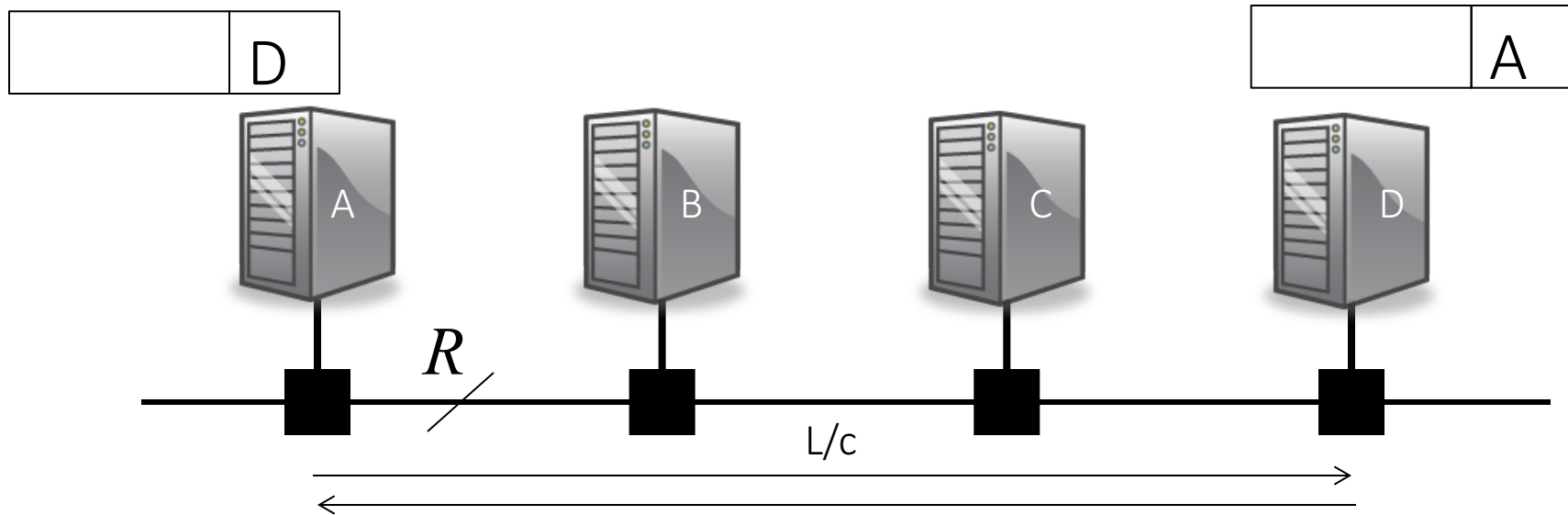
CSMA/CD operation



CSMA/CD Packet size requirement



CSMA/CD Packet size requirement



For an end host to detect a collision before it finishes transmitting a packet, we require:

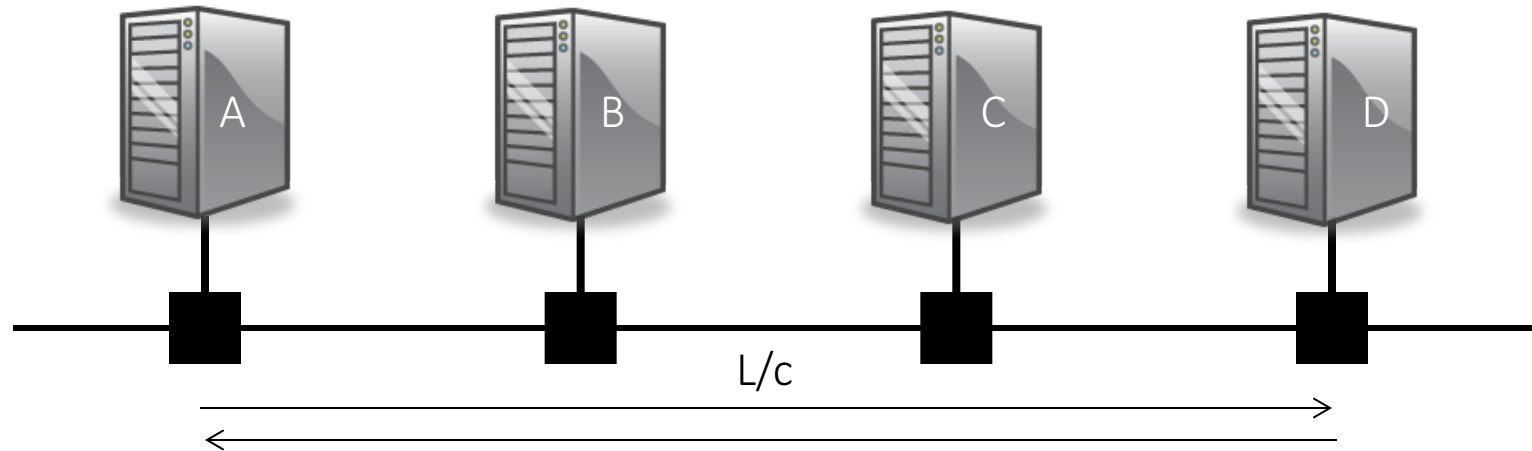
$$\frac{P}{R} \geq \frac{2L}{c}$$

where P is the size of a packet.

CSMA/CD Packet size requirement

Example:

$R = 10\text{Mb/s}$, $L = 10,000\text{m}$, $c = 2 \times 10^8 \text{ m/s}$.



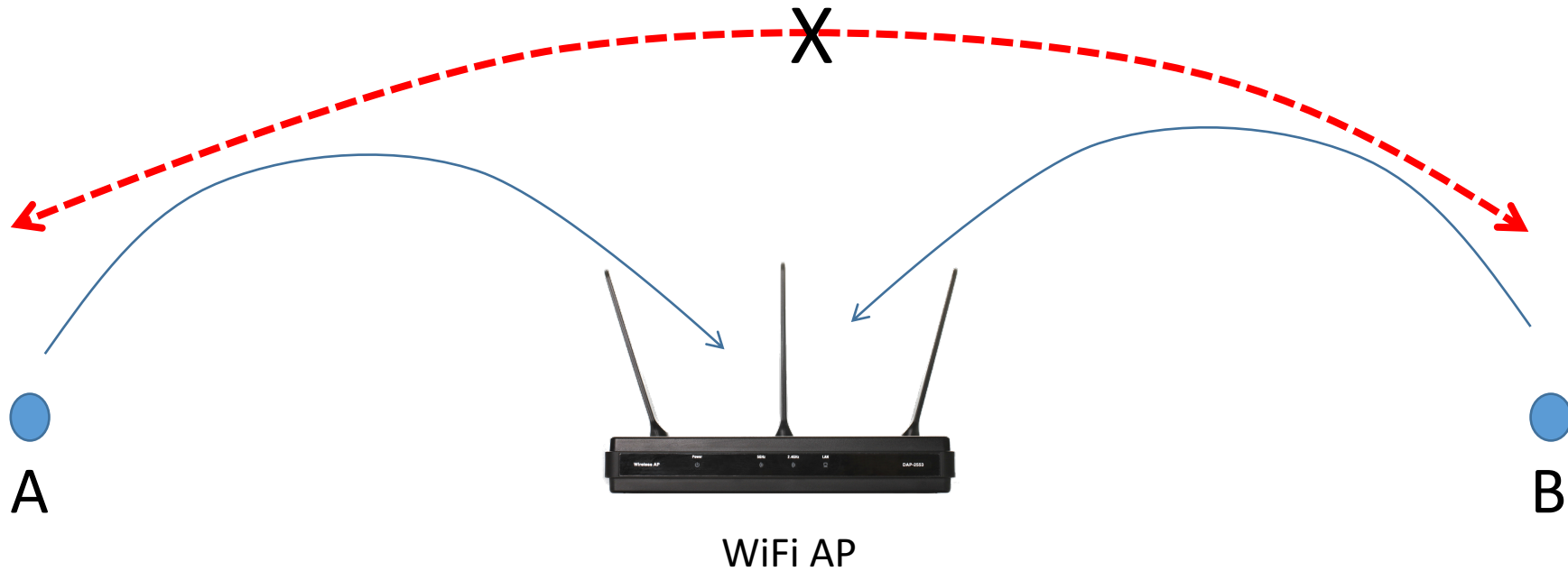
$$\frac{P}{R} \geq \frac{2L}{c}$$

$$\therefore P_{\min} = \frac{2LR}{c} = \frac{2 \times 10^{11}}{2 \times 10^8} = 1,000 \text{ bits.}$$

Why wireless is different

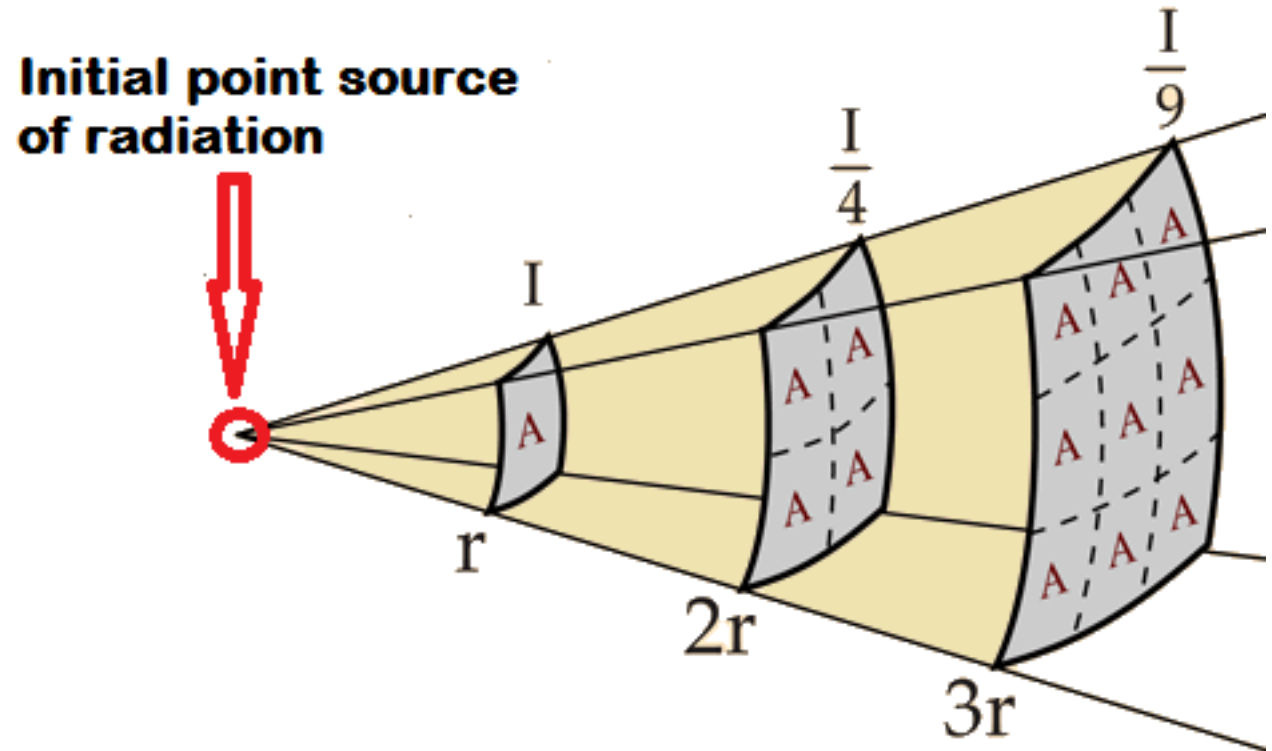
Q: Why might CSMA/CD not work in a wireless network?

Hidden node problem (*aka* Hidden terminal problem)



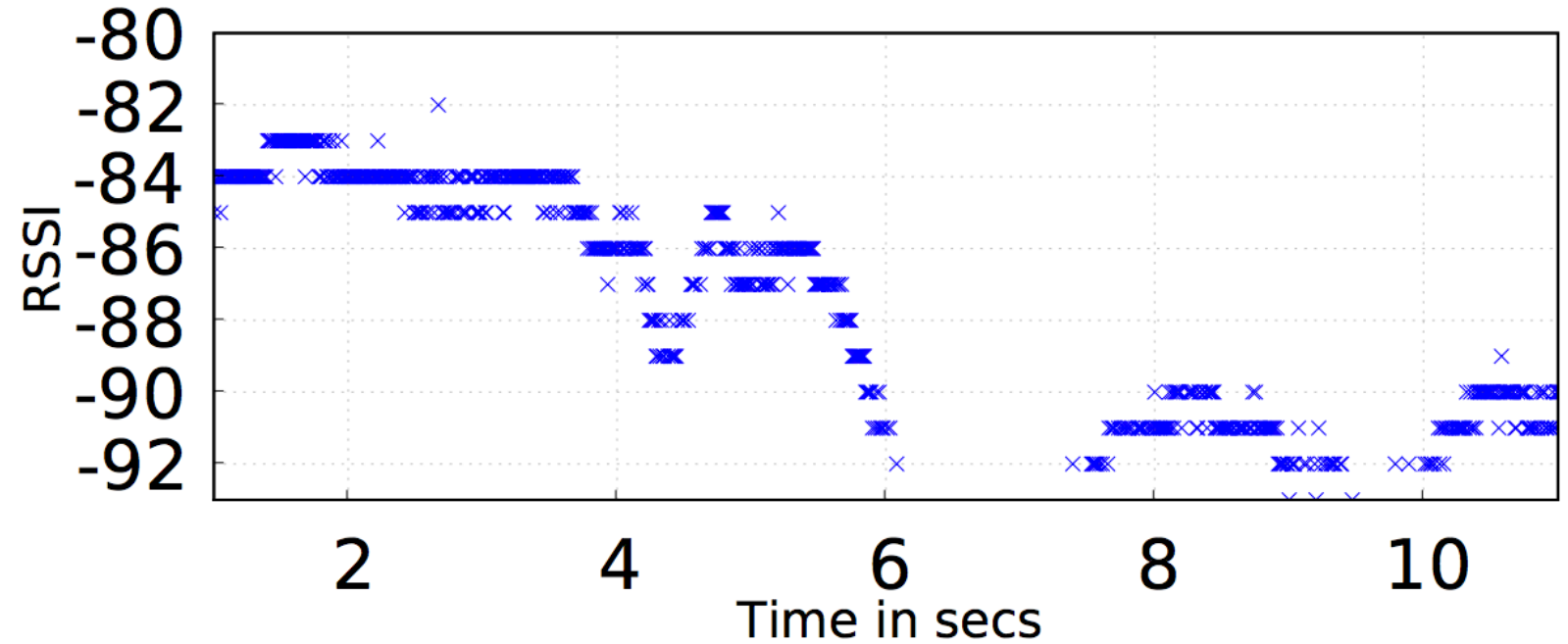
Signal loss

Signal degrades approximately $1/r^2$



Signal variation over time

Received Signal
Strength Indicator



Signal interference

From other transmitters

- Close-by transmitters on same frequency
- Leakage from adjacent channels and frequencies

From myself

- Multipath signals (“echoes” in a canyon)