## 1. Time series

Time series analysis aims to model and explain a time-dependent series of data points. The analysis is usually based on statistical techniques. Time series appear in various domains and can be of various types. Typical examples are: daily temperature recorded during one month/year, daily exchange rate, prices of stocks etc.

The main tasks concerning time series are:

- *Pre-processing* (e.g. transform the time series by normalization or standardization, fill the missing values by interpolation, remove the noise by smoothing, remove the trend by differencing)
- *Forecasting* (prediction): estimate future values in the series based on known past values, by using a model.

The forecasting task is characterized by:

- *Input:* The input data are previous values in a time series
- *Output:* The result is the next value(s) in the series
- *Model:* a regression model describing the relationship between the current value in the timeseries and several previous values (the number of previous values which are considered to have an influence on the current value is the so-called *time-lag*)

Let suppose that the we have a timeseries  $X_1, X_2, ..., X_n$  and let us consider that T is the time lag. Thus it is considered that a current value  $x_i$  depends on  $X_{i-1}, X_{i-2}, ..., X_{i-T}$ . Therefore the sequence of values in the timeseries can be transformed in another dataset having T attributes playing the role of predictors and an attribute playing the role of predicted value:

T predictor attributes	attribute to be predicted
$X_1 X_2 \dots X_i \dots X_T$	$X_{T+1}$
$X_2 \ X_3 \ \dots \ X_{i+1} \ \dots \ X_{T+1}$	$X_{T+2}$
	X <sub>n</sub>

Based on the dataset containing the lagged attributes one can construct a regression model (in the same way as in the case of non-temporal data). One of the main issues is the choice of the time lag

## **Exercise 1.**

- a) Open the file airlines.arff (containing the monthly passenger numbers for an airline for the years 1949 1960)
- b) Construct a new dataset by using a time lag of 12. Hint: you can use the Weka editor, Excel or any text editor
- c) Apply a linear regression model to the new dataset and predict the next value in the timeseries

**Exercise 2.** (optional – only for Weka versions >=3.7.3)

- a) Install the Time Series Forecasting package by using Weka GUI Chooser ->Tools->Package manager and by selecting for installation timeSeriesForecasting
- b) Open the file airlines.arff
- c) Forecast the next 6 values by using one of the following models for regression: (i) linear regression; (ii) multilayer perceptron; (iii) random forests. Hint: the selection of the model is done by using the Advanced Configuration->Based Learner panel

Remarks: details on the package TimeSeriesForecasting can be found at <u>http://wiki.pentaho.com/display/DATAMINING/Time+Series+Analysis+and+Forecasting+with+</u><u>Weka</u>.

## 2. Ensemble methods

Ensemble methods construct *meta-models* consisting of several base models (e.g. classifiers). They are constructed such that to enhance the performance of component models by reducing the *bias* and *variance* components of the error (see Lecture 12). There are different ways of constructing ensemble methods:

- By generating different models based on one training dataset (e.g. *bucket of models*)
- By generating different models through a sampling process of the training dataset (e.g. *bagging* and *boosting*)
- By using different models and in the same time splitting the dataset (e.g. *stacking*)

**Exercise 3.** By using Weka Experimenter compare the performance of the following ensemble models (metamodels): Vote, Bagging, Random Forest, AdaBoost and Stacking for the following datasets: iris.arff, glass.arff

- a) Use the default values of the parameters
- b) Try to improve the behavior of Vote, Bagging and AdaBoost by replacing the default individual Classifier with other models.